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Index of Symbols

- C_T , 249
(a, b) determinant, 565
(f, g) $_i$ transvection, 565
($i_k i_{k-1} \dots i_1 | j_1 j_2 \dots j_k$), 500
 $A_{\lambda+q}$, 29
 $CH(x_1, \dots, x_n)$, 442
 $CH_n(x)$, 442
 $C[V]^G$, 555
 $C^\infty(M)$ algebra of C^∞ functions, 60
 $C_m(\rho)$ Capelli polynomial, 56
 C_λ supercanonical tableau, 497
 C_{2n} , 128
 C_{i_1, i_2, \dots, i_n} Schubert cell, 512
 $c_\lambda(\mu)$ characters of symmetric group, 257
 $D(w)$ record tableau, 477
 D_A derivation, 63
 E_6, E_7, E_8 , 327
 $e_i(x)$, 19
 $F[X]$, 11
 $Gr_n(V)$ Grassmann variety, 509
 G^i term of lower central series, 99
 $G^{(i)}$ term of derived series, 99
 $G_s(L)$ simply connected group, 374
 G_x , 5
 gl_m Lie algebra of matrices, 53
 $H_A(t)$ Hilbert series, 560
 H_α root hyperplane, 316
 $ht(\lambda)$, 2
 $j_U(T), v_U(T); j^V(T), v^V(T)$, 488
 $k[V]$ coordinate ring, 167
 $M \ltimes L$ semidirect product, 301
 M^\perp orthogonal subspace, 114
 $M_n(F)$ the ring of matrices, 148
 M_λ , 253
 N_T normalizer of a torus T , 218
 $O(n, \mathbb{C})$ complex orthogonal group, 90
 $O(n, \mathbb{R})$ real orthogonal group, 90
 $O(p, q; BbbR)$, 124
 $O(V)$ orthogonal group, 117
 $PGL(n, \mathbb{C})$, 34
 $P[V]$, 16
 $P^n(k)$ projective space, 168
 $R(f, g)$, 27
 R^\vee spectrum, 147
 $R_m(n)$, 440
 r_R Reynold's operator, 554
 $S(2)$, 564
 $S(U)$ symmetric algebra, 109
 $Sp(2n, \mathbb{C})$ symplectic group, 90
 $Sp(n, \mathbb{H})$ compact symplectic group, 92
 $Sp(V)$ symplectic group, 117
 $SU(n, \mathbb{C})$ special unitary group, 90
 S^1 circle group, 90
 S_k , 20
 $S^m(U)$ symmetric power, 109
 S_n , 1
 $S_\lambda(x)$, 29
 S_{2n} , 446
 $S_\lambda(V)$, 256
 $sh(T)$ shape of the tableau, 481
 $so(2n, \mathbb{C})$ Lie algebra of the orthogonal group, 93
 $T(w)$ inserted tableau, 477
 $T \stackrel{*}{=} T'$, 489
 T_n torus, 183
 $T_\lambda(V)$ representations of $O(V)$, 418

- $V(x)$, 23
 $V//G$ categorical quotient, 555
 V^{-1} dual character, 139
 V_λ , 527
 $W(n)$ Weyl algebra, 38
 W^λ , 527
 $w_1 \stackrel{K}{\cong} w_2$ Knuth equivalence, 480
 X/G , 4
 X^G , 7
 X^s symplectic transpose, 91
 $[i_1, i_2, \dots, i_n]$ Plücker coordinate, 501
 $[x, y]$ commutator, 99
 $\text{ad}(x)$ adjoint, 61
 $\text{Bil}(U \times V, F)$ bilinear functions, 103
 $\bigwedge U$ exterior algebra, 109
 $Cl_Q(U)$, 126
 Δ_{ij} polarization, 53
 $\text{End}(V)$, 17
 $\text{End}_G(V)$, 17
 ϵ_σ , 28
 $\Gamma(V, Q)$ Clifford group, 133
 $GL(n, F)$, 12
 $GL(V)$, 12
 $\text{hom}_G(U, V)$, 13
 \hat{G} character group, 138
 R_T , 249
 $\text{Ind}_H^G N$ induced representation, 223
 $\Lambda_{ec}, \Lambda_{er}$, 32
 λ/μ skew diagram, 481
 $\lambda \vdash n$, 2
 $\langle \varphi, v \rangle$ 16
 \mathcal{T}_G representative functions, 202
 Φ^+ positive roots, 317
 $\Psi_\mu(X) = \prod_i \text{tr}(X^{h_i})$, 268
 ψ_k , 20
 $SO(n, \mathbb{C})$ special complex orthogonal group, 90
 $SO(n, \mathbb{R})$ special real orthogonal group, 90
 $\text{Spin}(V)$ spin group, 135
 $so(2n, F)$ Lie algebra, 118
 $sp(2n, F)$ Lie algebra, 118
 $sp(2n, \mathbb{C})$ Lie algebra of the symplectic group, 94
 ϱ , 29
 $\mathcal{L}(M)$ Lie algebra of vector fields, 60
 \mathcal{S}_λ formal Schur function, 494
 \mathbb{H} quaternions, 92
 $U(n, \mathbb{C})$ unitary group, 90
negative roots, 317

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